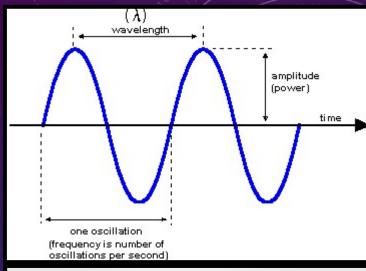
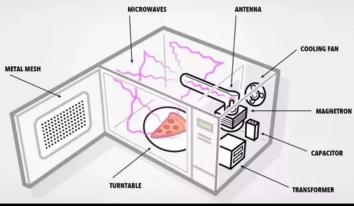


#### 1: MEASURING THE SPEED OF LIGHT

- Knowing this fundamental constant is important for finding ETI's, as this is how fast our messages can travel.
- Today, we will be using a kitchen microwave to measure wavelength using chocolate shavings!
- The places where the peak of different microwaves coincide are hotter, and therefore, will cook food faster (or melt chocolate faster).
- Hot spots are spaced  $\lambda/2$  in microwaves.
- Speed = frequency x wavelength
- We know for microwaves f = 2.45e9 waves/s, therefore, by measuring the wavelength, we can calculate c.



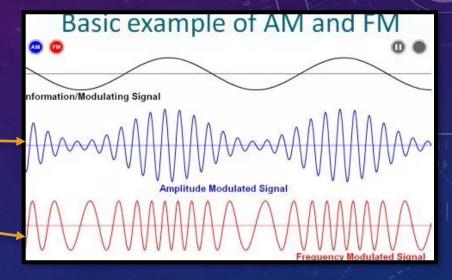


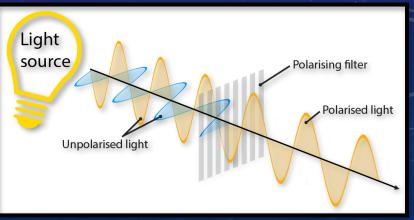


## PART 2: DECODING THE ARECIBO MESSAGE

There are several ways we can encode messages using light waves:

- Changing the amplitude.
- Changing the frequency.
- Polarization.





### PART 2: DECODING THE ARECIBO MESSAGE

- In 1974, Arecibo was used to send a message into space.
- It was directed at the Globular Cluster M13, 25,000 light years away.
- Used frequency modulation to encode information.
- Total information contained 1679 bits.
- 1679 is called a "semiprime" as it is the product of two prime numbers.



#### PART 2: DECODING THE ARECIBO MESSAGE

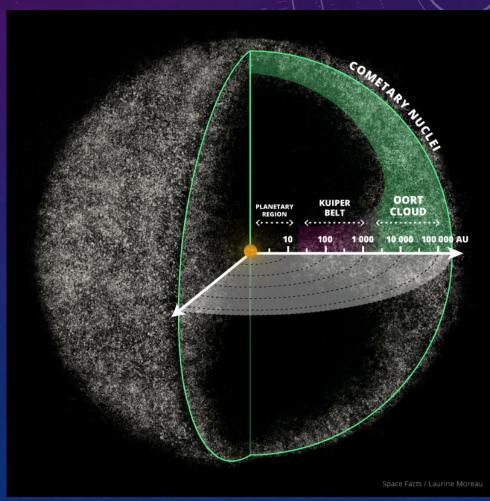
- For this part you will use the lab computers to decode the message.
- Follow the instructions in your lab manual:
  - i. Open an xterm window.
  - ii. Type "cd a200/seti/" and press Enter.
  - iii. Type "sm" and press Enter.
  - iv. Type "macro read arecibo.sm" and press Enter.
  - v. Type "message [width] [your name]" where width is your guess for the width of the grid (hint there are only two options to try), and press Enter.
  - vi. A window will open up with the message. If it looks like gibberish, exit out and try the other width value.
  - vii. If it looks like an actually message, use the tool "Screenshot" on your computer, to take an screenshot of your message which you can then email to yourself.



PART 3: GIANT IMPACTS: HOW LONG DO CIVILIZATIONS SURVIVE?

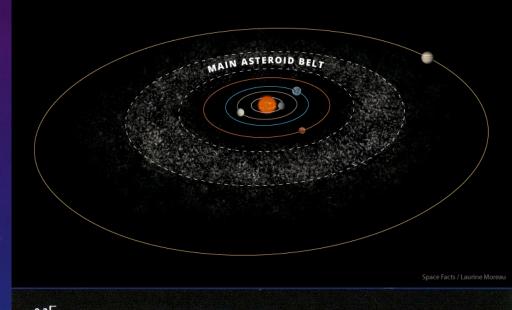
There are two astronomical events that could potentially wipe out life on Earth or other habitable planets:

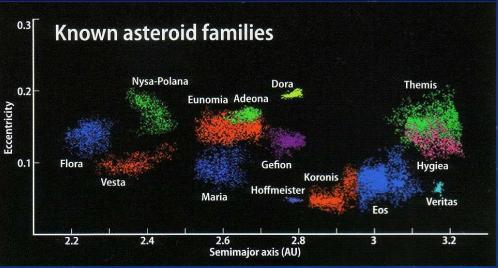
- 1. Comet Showers:
- There is a reservoir of comets encircling the sun in the outer solar system call the Oort Cloud.
- A passing nearby star could potentially disrupt this cloud and send comets into the inner solar system.
- Time between close encounters =  $\sqrt{2} \times v \times A \times n$ , where v is the random velocity of nearby stars, A is the cross-sectional area of the solar system, and n is the number of stars per cubic parsec.



PART 3: GIANT IMPACTS: HOW LONG DO CIVILIZATIONS SURVIVE?

- 2. Asteroid Showers from Family Formation:
- When an asteroid is destroyed by a collision, it breaks up into a smaller group of objects called a family.
- If this family is created in an unstable orbit, the family could potentially be ejected into the inner solar system.
- Time between formation of families (Age of solar system)/ (Number of families).





# PART 3: GIANT IMPACTS: HOW LONG DO CIVILIZATIONS SURVIVE?

- We'll be looking at the destruction of a comet or asteroid impact head on!
- We will be using an online impact calculator at <a href="http://simulator.down2earth.eu/index.html">http://simulator.down2earth.eu/index.html</a>
- Put in the parameters given in your lab manual and answer questions 3-5.



#### PART 4: DRAKE EQUATION

Is anybody out there?

The Drake equation is a very rough estimate of the chances that any planet houses a technologically advanced civilization within our galaxy:

- The equation goes as  $N_c = N_* \times F_P \times F_L \times F_T$
- Here,  $N_c$  is the # of civilizations,  $N_*$  is the # of stars under consideration,  $F_p$  is the fraction of stars that have Earth-like planets,  $F_L$  if the fraction of those planets that house intelligent life, and  $F_T$  is the fraction of the age of the galaxy that those civilizations can exist for.
- Through Kepler data, we have found ~950 Earth like planets, therefore  $N_* \times F_P = 950$ . There are 3 "Earth like planets" in our Solar System, only one of which we know to have life, therefore,  $F_L \approx 1/3$
- The chance of discovering a civilization hosting planet therefore is  $\frac{N_c}{150,000} \times 100\%$